

# An Assume-Guarantee Method for Modular Verification of Evolving Component-Based Software






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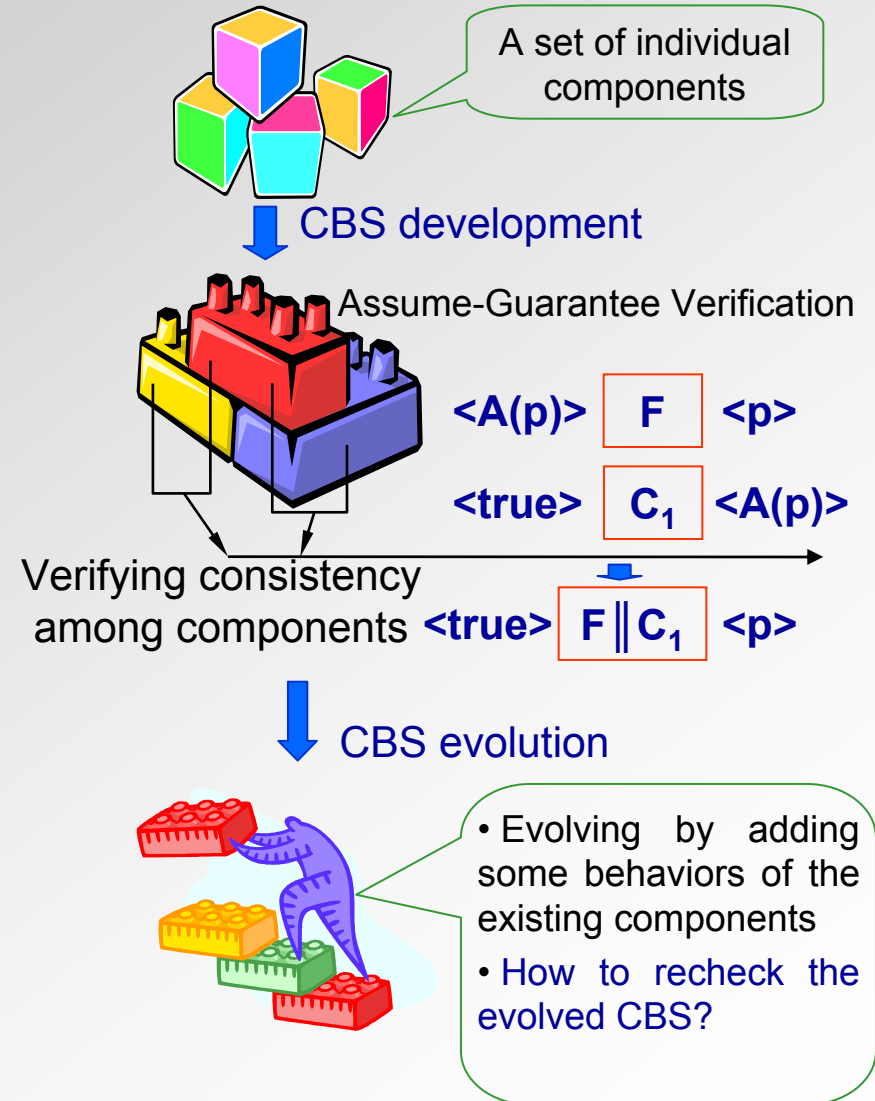
# Component-Based Software (CBS)

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- ✚ Structured from a set of well-defined components
  - Ideally, components are plug-and-play
  - Advantages: low development cost and time, flexible for changes, etc.
- ✚ One of key issues of CBS is "*component consistency*"
  - The currently well-known technologies as CORBA, COM/DCOM or .NET, JavaBeans and EJB (Sun), etc. only support "*component plugging*" -> plug-and-play mechanism often fails
  - **A potential solution: modular verification based on assume-guarantee reasoning**

# Evolving CBS

- ✚ CBS evolution seems to be an unavoidable task
  - Bug fixing, adding or removing some features, etc.
  - -> the whole evolved CBS must be rechecked
- ✚ How to recheck the evolved CBS by reusing the previous verification results?



# Background (1/3)

## ⊕ Labeled Transition Systems (LTSs)

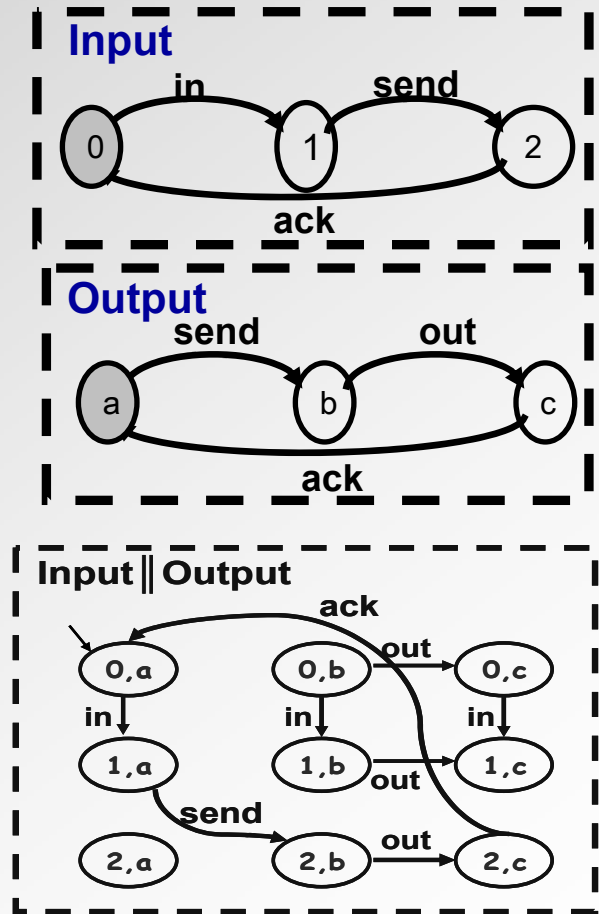
- A LTS  $M = \langle Q, \alpha M, \delta, q_0 \rangle$

## ⊕ Parallel Composition Operator " $\parallel$ "

- Synchronizing the common actions
- Interleaving the remaining actions

## ⊕ Safety LTS, Safety Property, Satisfiability

- A safety LTS: a deterministic LTS that contain no  $\pi$  state ( $\pi$  denotes the special error state)
- A safety property is specified as a safety LTS  $p$
- A LTS  $M$  satisfies  $p$  ( $M \models p$ ) iff  $\forall \delta \in L(M): (\delta \uparrow \alpha p) \in L(p)$

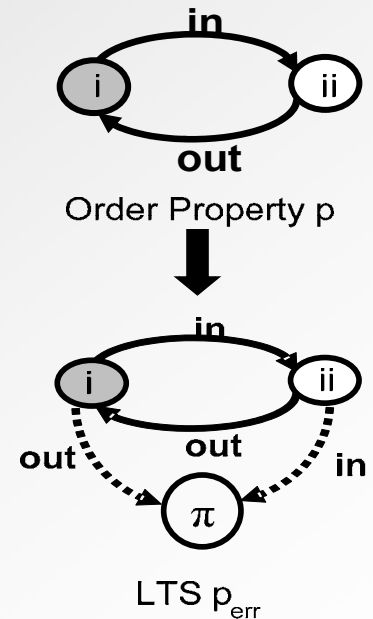


# Background (2/3)

## Assume-guarantee reasoning

- “Divide and conquer mechanism” for decomposing a verification task into subtasks about the individual components of software
- $\langle A(p) \rangle F \langle p \rangle$ ,  $\langle \text{true} \rangle C_1 \langle A(p) \rangle$  both hold  $\rightarrow F \parallel C_1 \models p$
- To check  $\langle A(p) \rangle F \langle p \rangle$ :
  1. Creating  $p_{\text{err}}$  from  $p$ :  $\delta_{p_{\text{err}}} = \delta_p \cup \{(q, a, \pi) \mid \text{not exist } q' \in Q_p: (q, a, q') \in \delta_p\}$
  2. Computing  $A(p) \parallel F \parallel p_{\text{err}}$
  3. If  $\pi$  is unreachable  $\rightarrow$  satisfied
- Checking  $\langle \text{true} \rangle C_1 \langle A(p) \rangle$  by computing  $C_1 \parallel A(p)_{\text{err}}$

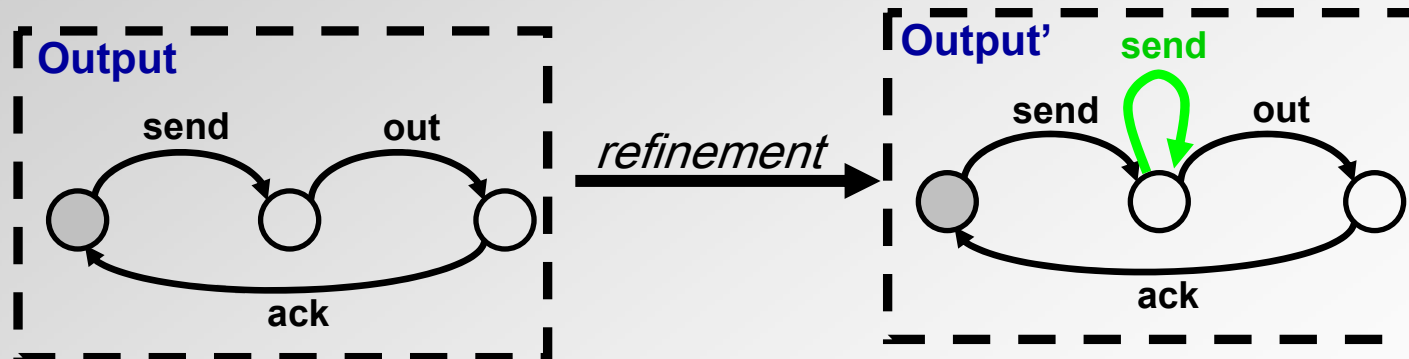
1. $\langle A(p) \rangle F \langle p \rangle$ 2. $\langle \text{true} \rangle C_1 \langle A(p) \rangle$
$\langle \text{true} \rangle F \parallel C_1 \langle p \rangle$



# Background (3/3)

## Component refinement

- Adding some states and transitions into the old component
- $C_1 = \langle Q_1, \alpha C_1, \delta_1, q_0^1 \rangle$ ,  $C_2 = \langle Q_2, \alpha C_2, \delta_2, q_0^2 \rangle$ :  $C_2$  is the refinement of  $C_1$  iff  $Q_1 \subseteq Q_2$ ,  $\delta_1 \subseteq \delta_2$ ,  $q_0^1 = q_0^2$   
 $\Rightarrow L(C_1) \subseteq L(C_2)$



# Contents

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Introduction



Background



**A Framework for Modular Verification  
of Evolving CBS**



Assumption Regeneration Method



Related Work

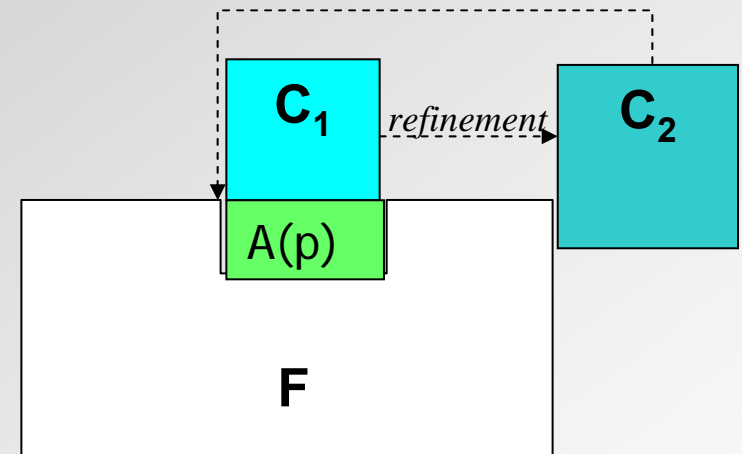


Conclusion



# Framework (1/2)

- ✚ Suppose that the system contains a framework  $F$  and an extension  $C_1$  and  $F \parallel C_1 \models p$
- ✚ Generating an assumption  $A(p)$ 
  - Strong enough for  $F$  to satisfy  $p$  but weak enough to be discharged by  $C_1$
  - $\langle A(p) \rangle F \langle p \rangle$  and  $\langle true \rangle C_1 \langle A(p) \rangle$  hold
  - When  $C_1$  is *refined* into  $C_2$
  - The goal: checking  $F \parallel C_2 \models p$  by reusing the previous assumption  $A(p)$

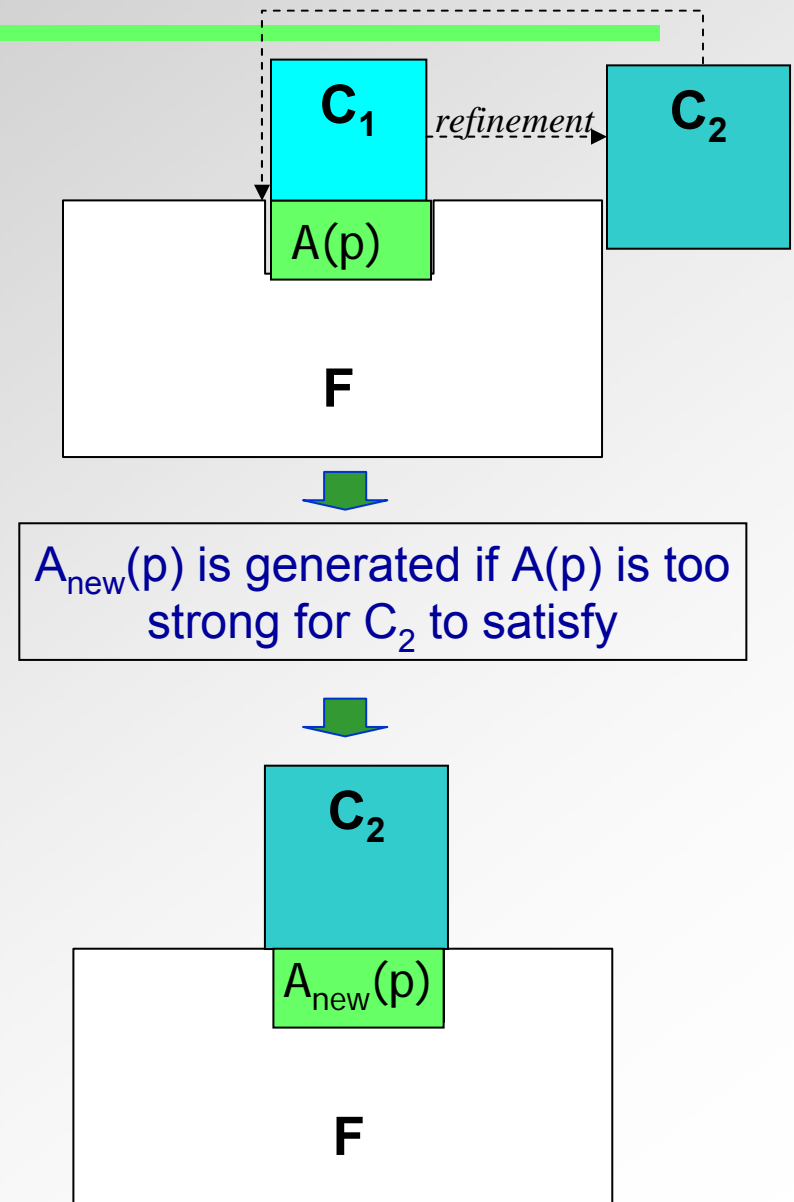


# Framework (2/2)

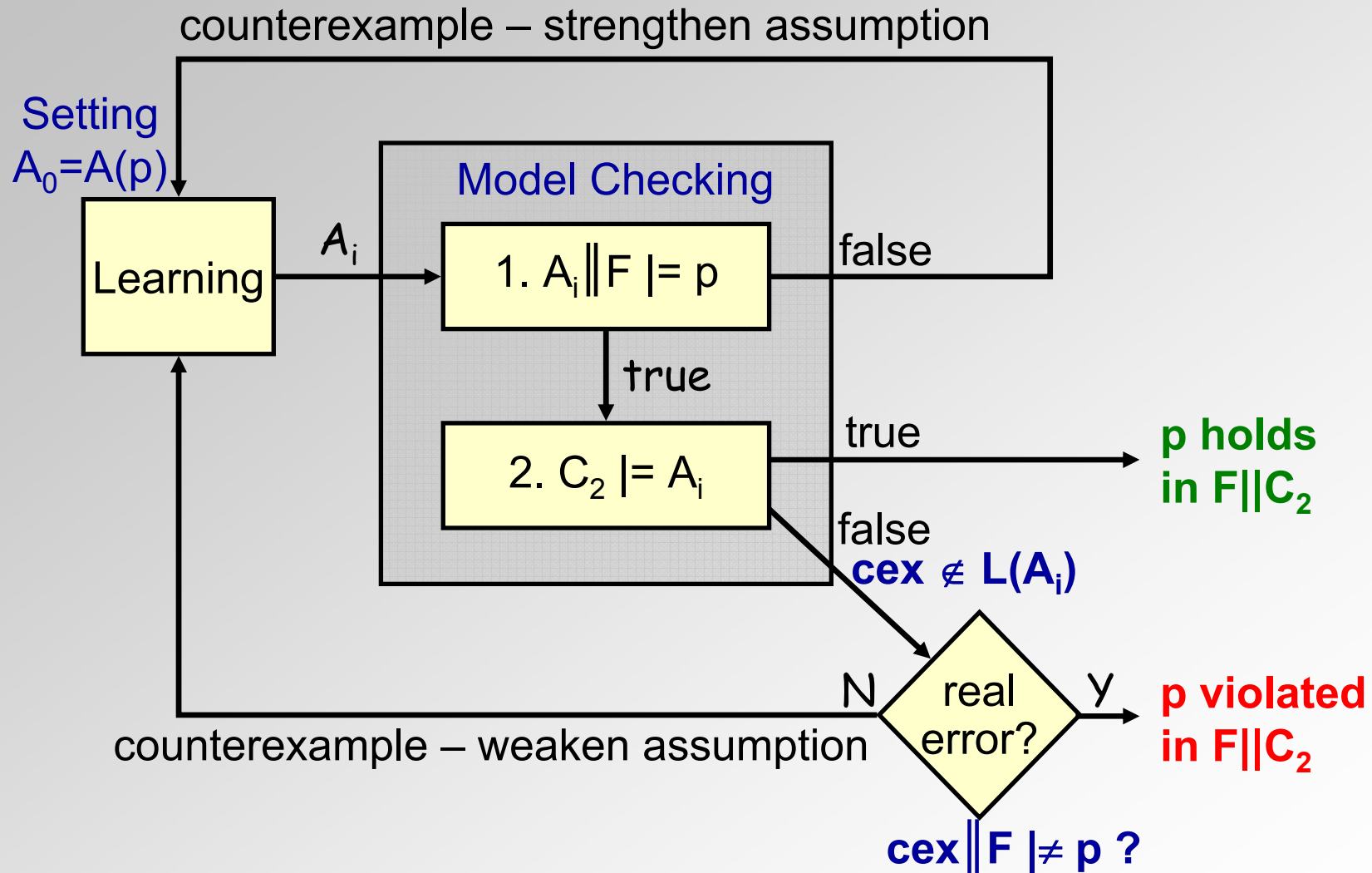
## ✚ Solution

- Only check  $\langle true \rangle C_2 \langle A(p) \rangle$
- If yes  $\rightarrow F \parallel C_2 \models p$
- Otherwise,  $F \parallel C_2 \not\models p$  or  $A(p)$  is too strong for  $C_2$  to satisfy
- A new assumption  $A_{new}(p)$  is re-generated by reusing  $A(p)$  if  $A(p)$  is too strong

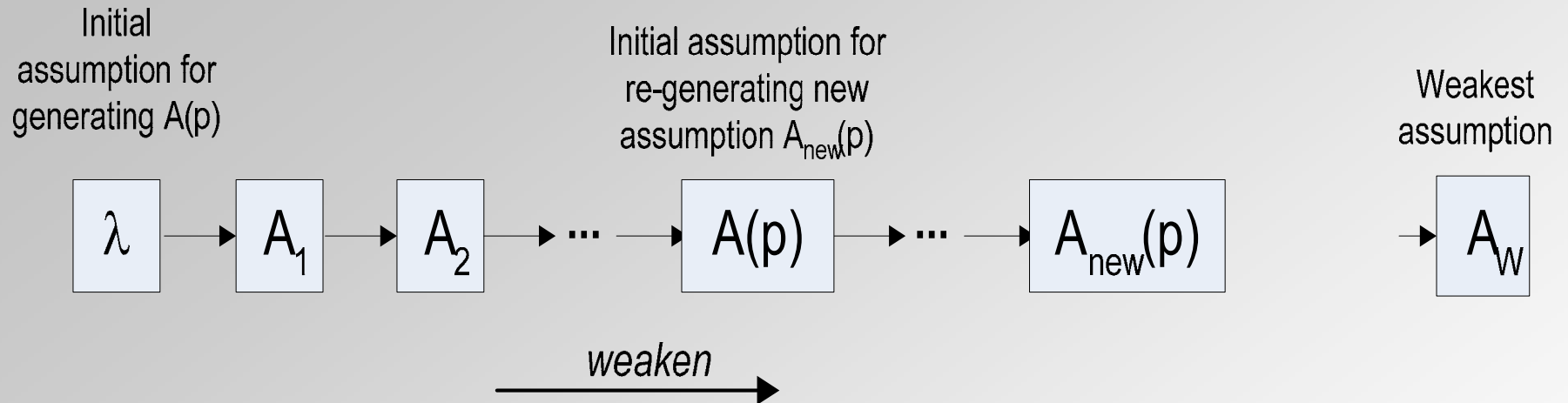
How to generate the new assumption  $A_{new}(p)$ ?



# Assumption regeneration process



# Effectiveness



- ✚ To obtain the assumption  $A_{new}(p)$ , instead of starting from  $\lambda$  [Cobleigh'03], we start from the previous assumption  $A(p)$
- ✚ This improvement reduces some steps of the assumption regeneration process

# Correctness and termination

- # **Theorem:** Given  $F$ ,  $C_2$  is a refinement of  $C_1$ , a property  $p$  and an assumption  $A(p): \langle A(p) \rangle F \langle p \rangle$ ,  $\langle \text{true} \rangle C_1 \langle A(p) \rangle$ . The process terminates and returns  $A_{\text{new}}(p)$  if  $F \parallel C_2 \models p$  and false otherwise
  - **Correctness**
    - ✓ Guaranteed by the compositional rule
    - ✓ Always achieving  $A_{\text{new}}(p)$  by starting from  $A(p)$ 
      - $C_2 \not\models A(p)$  and  $C_2 \models A_{\text{new}}(p) \rightarrow A_{\text{new}}(p)$  is **weaker** than  $A(p)$
  - **Termination**
    - ✓ At any iteration, it returns true or false and terminates or continues by providing a counterexample to  $L^*$  Learning
    - ✓  $|A_0| \leq |A_1| \leq \dots \leq |A_W|$
    - ✓ In the worst case:  $L^*$  Learning produces  $A_W \rightarrow$  **terminates!**

# Related Work

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- ✚ Assume-guarantee verification [Cobleigh'03]
  - The basic case: two components  $C_1, C_2$
  - Assumption generation by using  $L^*$  algorithm
- ✚ Verification of evolving software [Sharygina'05]
  - Key idea: component substitutability analysis
    - ✓ Containment check: all local behavior of the old component contained in new one
    - ✓ Compatibility check: safety w.r.t other components in assembly
- ✚ OIMC [Thang&Katayama'04]
  - Focus on the interaction between two components **Base** and **Extension**
  - Deriving a set of preservation constraints at the interface states of Base

# Conclusion

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- ✚ A framework for evolving CBS verification in the context of component refinement
- ✚ An assumption regeneration method
  - Reuse the previous assumption
  - Reduce several steps of the process
- ✚ Future work
  - Evaluating the effectiveness formally
  - Applying the method for some larger case studies

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**Thanks for your listening!**



# Assume-guarantee verification [Cobleigh'03]

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- The main ideas base on **Assume-Guarantee**
- The system has only two components;  $M_1, M_2$
- The main goal: checking  $M_1 \parallel M_2 \models p$  *without composing  $M_1$  with  $M_2$ ?*
- Finding an assumption A satisfying the compositional rule by using  $L^*$
- If these components are changed -> assumption generation process re-runs on the whole system from beginning

# Verification of evolving software [Sharygina'05]

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- ✚ Key idea: component substitutability analysis
  - Obtain a finite behavioral model of all components by abstraction
  - Containment check: all local behavior of the old component contained in new one
    - ✓ Use under- and over- approximations
  - Compatibility check: safety w.r.t other components in assembly
    - ✓ Use dynamic assume-guarantee reasoning (dynamic  $L^*$ )

# Verification of evolving software [Sharygina'05]

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- ✚ Component refinement: adding and removing some behavior of component implementation
- ✚ Using abstraction to obtain a new model of the upgraded component
- ✚ Try to reuse the old assumption to verify the new system by improving  $L^*$   $\rightarrow$  dynamic  $L^*$
- ✚ Our opinion: adding is enough
- ✚ We want not only to reuse the previous assumptions but also to reuse the previous models

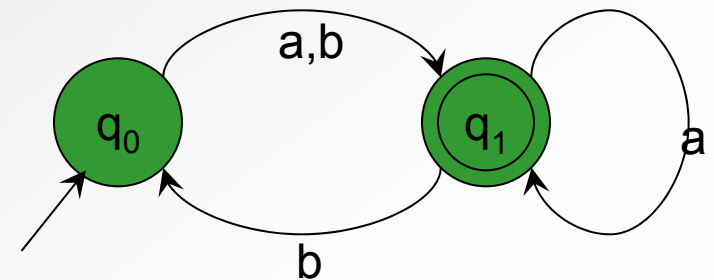
# Learning algorithm - $L^*$

- ✚ Proposed by D. Angluin, improved by Rivest
- ✚ learns an unknown regular language  $U$
- ✚ produces a **D**eterministic **F**inite state **A**utomata (**DFA**)  $C$  such that  $L(C) = U$  (the minimal DFA  $C$  corresponding to  $U$ )

✚ **DFA**  $M = (Q, q^0, \alpha M, \delta, F) :$

- $Q, q^0, \alpha M, \delta$  : as in deterministic LTS
- $F \subseteq Q$  : accepting states
- $L(M) = \{\sigma \mid \delta(q^0, \sigma) \in F\}$

$aaa \in L(M), aaab \notin L(M)$



A DFA example

# The base idea of $L^*$

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## Myhill-Nerode Theorem

For every regular set  $U \subseteq \Sigma^*$  there exists a unique minimal deterministic automata whose states are isomorphic to the set of **equivalence classes** of the following relation:

$$w \approx w' \text{ iff } \forall u \in \Sigma^* : wu \in U \Leftrightarrow w'u \in U$$

## **Basic idea: learn the equivalence classes**

- Two prefixes are not in the same class iff there is a **distinguishing suffix  $u$**